

Discussion of
Robust Mechanism Design and Social Preferences
by Bierbrauer, Ockenfels, Pollak, and Rückert

Maxim Troshkin

Toulouse, May 26-27, 2016

Overview

Start with standard mechanism design:

- rational, Bayesian agents
- common knowledge priors, preferences

Show that mechanisms may be “not robust” to preferences becoming “social”:

- 2-type examples (bilateral trade, Piketty vs Mirrlees)
- experiments (with examples, usual concerns)

Suggest way to characterize social-preference-robust mechanisms:

- apply to examples
- analyze “performance” of robust vs non-robust

Note: throughout, “robust” means

- equilibrium after large changes in environment
- *not* after small variations in parameters

Background

Paper: examples, experiments \Rightarrow need “social-preference robust”

A bit more systematically: MDer's uncertainty is about agents'...

1. observations (payoff-relevant)
2. beliefs (about others' observations, beliefs², etc)
3. preferences (selfish, some form of social)

(note: common knowledge among agents though)

Background

Paper: examples, experiments \Rightarrow need “social-preference robust”

A bit more systematically: MDer’s uncertainty is about agents’...

1. observations: already in Bayesian
2. beliefs: “standard robustness” (Bergemann and Morris)
3. preferences: “social-preference robustness” (Bierbrauer et al.)

(note: common knowledge among agents though)

Main insight

- m : direct mechanism
 - EF if agent- i report has no effect on agent- j payoff
- $v(u)$: “social” preferences (selfish+)
 - u standard “selfish” preferences
 - v increasing in own payoff (c.p.)
(but ok to pay to change others’ payoffs)

Main insight

- m : direct mechanism
 - EF if agent- i report has no effect on agent- j payoff
- $v(u)$: “social” preferences (selfish+)
 - u standard “selfish” preferences
 - v increasing in own payoff (c.p.)
(but ok to pay to change others’ payoffs)
- motivating observation (lack of robustness):
 $\exists v(u) : m(u)$ optimal $\not\Rightarrow m(v(u))$ optimal

Main insight

- m : direct mechanism
 - EF if agent- i report has no effect on agent- j payoff
- $v(u)$: “social” preferences (selfish+)
 - u standard “selfish” preferences
 - v increasing in own payoff (c.p.)
(but ok to pay to change others’ payoffs)
- motivating observation (lack of robustness):
 $\exists v(u) : m(u)$ optimal $\not\Rightarrow m(v(u))$ optimal
- key insight:
 $\forall v(u) : m(u)$ optimal + EF $\Rightarrow m(v(u))$ optimal

Main insight

- m : direct mechanism
 - EF if agent- i report has no effect on agent- j payoff
- $v(u)$: “social” preferences (selfish+)
 - u standard “selfish” preferences
 - v increasing in own payoff (c.p.)
(but ok to pay to change others’ payoffs)
- motivating observation (lack of robustness):
 $\exists v(u) : m(u)$ optimal $\not\Rightarrow m(v(u))$ optimal
- key insight:
 $\forall v(u) : m(u)$ optimal + EF $\Rightarrow m(v(u))$ optimal
- additionally:
 $\exists v(u) : m(u)$ optimal + EF $\Leftarrow m(v(u))$ optimal
(partially in Bierbrauer-Netzer 2016)

About optimality

With social preferences:

- Revelation Principle fails
 - Bierbrauer-Netzer 2016
- Nevertheless:
 - $IC (+ IR + Feasibility) \Rightarrow$ implementability
 - \Leftarrow with additional conditions

Key caveat

With social preferences:

- Seemingly: replace $IC(u)$ with $IC(v(u))$
- But: not clear which v (growing, not uniform literature)
 - hence MDer's uncertainty about v
 - no uncertainty about payoffs π though
- Key: distinguish $IC(\pi)$ and $IC(v(u))$

Main insight re-interpreted

- $IC(v(u))$ can be relaxed by requiring $IC(\pi)$ and $EF(\pi)$
- Intuition:
 - $EF(\pi)$ ensures only own π matters for v
 - $IC(\pi)$ is then enough assuming v increasing in own π
 - on the other hand, clearly $IC(v(u)) \Rightarrow EF(\pi)$

Comment: mixed robustness

- Less clear: why preferences-uncertainty requires beliefs-uncertainty?
 - paper: ex-post IC to ensure beliefs-robustness (Bergemann-Morris)
 - social preferences use only 2nd order beliefs anyway (somewhat arbitrarily)
 - disentangle two types of robustness?

Bilateral trade: example in paper

- 2-by-2-type bilateral trade (textbook)
- modify: ex post IC (belief robustness)
- objective: seller's π (non-standard)
- $m^*(u)$: effectively two 2-type screening problems
 - low type buyer: down-distortion (in quantity sold)
 - high type buyer: no-distortion
- $m^*(v(u))$:
 - low-low: down-distortion (larger)
 - otherwise: no-distortion

Bilateral trade: caveats in extensions

- 3-types:
 - low-low: even larger down-distortion
 - otherwise no-distortion (same pattern)
 - conjecture: more types, more severe low-low distortion
- welfare objective (standard):
 - EF just another constraint on payments
 - hence no difference with more types

Concluding comment: complementary agenda

- Optimal m for larger type/preferences domains may be very complicated
 - quite common in standard/robust MD
- Seems more attractive to look for *simple* optimal m
 - not just *any* optimal m
- Simplicity hard to formalize of course (but see Borgers 2015)
 - potentially large returns to effort
 - both positive and normative applications